

Mark Scheme (Results)

Summer 2016

Pearson Edexcel GCE in Core Mathematics 1 (6663/01)

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#### **General Marking Guidance**

- All candidates must receive the same treatment. Examiners must mark the first candidate in exactly the same way as they mark the last.
- Mark schemes should be applied positively. Candidates must be rewarded for what they have shown they can do rather than penalised for omissions.
- Examiners should mark according to the mark scheme not according to their perception of where the grade boundaries may lie.
- There is no ceiling on achievement. All marks on the mark scheme should be used appropriately.
- All the marks on the mark scheme are designed to be awarded. Examiners should always award full marks if deserved, i.e. if the answer matches the mark scheme. Examiners should also be prepared to award zero marks if the candidate's response is not worthy of credit according to the mark scheme.
- Where some judgement is required, mark schemes will provide the principles by which marks will be awarded and exemplification may be limited.
- Crossed out work should be marked UNLESS the candidate has replaced it with an alternative response.

#### PEARSON EDEXCEL GCE MATHEMATICS

#### **General Instructions for Marking**

- 1. The total number of marks for the paper is 75
- 2. The Edexcel Mathematics mark schemes use the following types of marks:
- M marks: Method marks are awarded for 'knowing a method and attempting to apply it', unless otherwise indicated.
- A marks: Accuracy marks can only be awarded if the relevant method (M) marks have been earned.
- B marks are unconditional accuracy marks (independent of M marks)
- Marks should not be subdivided.

#### 3. Abbreviations

These are some of the traditional marking abbreviations that will appear in the mark schemes.

- bod benefit of doubt
- ft follow through
- the symbol  $\sqrt{\phantom{a}}$  will be used for correct ft
- cao correct answer only
- cso correct solution only. There must be no errors in this part of the question to obtain this mark
- isw ignore subsequent working
- awrt answers which round to
- SC: special case
- oe or equivalent (and appropriate)
- d... or dep dependent
- indep independent
- dp decimal places
- sf significant figures
- \* The answer is printed on the paper or ag- answer given
- or d... The second mark is dependent on gaining the first mark
- 4. All A marks are 'correct answer only' (cao.), unless shown, for example, as A1 ft to indicate that previous wrong working is to be followed through. After a misread however, the subsequent A marks affected are treated as A ft.
- 5. For misreading which does not alter the character of a question or materially simplify it, deduct two from any A or B marks gained, in that part of the question affected.

- 6. If a candidate makes more than one attempt at any question:
  - If all but one attempt is crossed out, mark the attempt which is NOT crossed out.
  - If either all attempts are crossed out or none are crossed out, mark all the attempts and score the highest single attempt.
- 7. Ignore wrong working or incorrect statements following a correct answer.

### **General Principles for Core Mathematics Marking**

(But note that specific mark schemes may sometimes override these general principles).

### Method mark for solving 3 term quadratic:

### 1. Factorisation

$$(x^2+bx+c)=(x+p)(x+q)$$
, where  $|pq|=|c|$ , leading to  $x=...$ 

$$(ax^2 + bx + c) = (mx + p)(nx + q)$$
, where  $pq = |c|$  and  $|mn| = |a|$ , leading to  $x = ...$ 

#### 2. Formula

Attempt to use the correct formula (with values for a, b and c).

#### 3. Completing the square

Solving 
$$x^2 + bx + c = 0$$
:  $\left(x \pm \frac{b}{2}\right)^2 \pm q \pm c = 0$ ,  $q \neq 0$ , leading to  $x = \dots$ 

### Method marks for differentiation and integration:

#### 1. Differentiation

Power of at least one term decreased by 1.  $(x^n \rightarrow x^{n-1})$ 

### 2. Integration

Power of at least one term increased by 1.  $(x^n \rightarrow x^{n+1})$ 

#### Use of a formula

Where a method involves using a formula that has been learnt, the advice given in recent examiners' reports is that the formula should be quoted first.

Normal marking procedure is as follows:

<u>Method mark</u> for quoting a correct formula and attempting to use it, even if there are small errors in the substitution of values.

Where the formula is <u>not</u> quoted, the method mark can be gained by implication from <u>correct</u> working with values, but may be lost if there is any mistake in the working.

#### **Exact answers**

Examiners' reports have emphasised that where, for example, an exact answer is asked for, or working with surds is clearly required, marks will normally be lost if the candidate resorts to using rounded decimals.

Question Number	Scheme	Notes	Marks
1		$\int (2x^4 - \frac{4}{\sqrt{x}} + 3) \mathrm{d}x$	
	M1: $x^n \to x^{n+1}$ . One power increased by 1 but not for just $+c$ . This could be for $3 \to 3x$ or for $x^n \to x^{n+1}$ on what they think $\frac{1}{\sqrt{x}} \text{ is as a power of } x.$ A1: One of these 3 terms correct. $2x^{4+1} = 4x^{-\frac{1}{2}+1} = 2x^{\frac{1}{2}}$		MIAIAI
	$\frac{-x}{5} = \frac{x}{\frac{1}{2}} + 3x$	Allow un-simplified e.g. $\frac{2x^{4+1}}{4+1}$ , $-\frac{4x^{-\frac{1}{2}+1}}{-\frac{1}{2}+1}$ , $3x^1$ A1: Two of these 3 terms correct.  Allow un-simplified e.g. $\frac{2x^{4+1}}{4+1}$ , $-\frac{4x^{-\frac{1}{2}+1}}{-\frac{1}{2}+1}$ , $3x^1$	M1A1A1
	$= \frac{2}{5}x^5 - 8x^{\frac{1}{2}} + 3x + c$	Complete fully correct simplified expression appearing all on one line with constant. Allow 0.4 for $\frac{2}{5}$ .  Do not allow $3x^1$ for $3x$ Allow $\sqrt{x}$ or $x^{0.5}$ for $x^{\frac{1}{2}}$	A1
	Ignore any spurious inte	gral signs and ignore subsequent working following a fully correct answer.	
			[4]
			4 marks

Question Number	Scheme	Notes	Marks			
2	$9^{3x+1} = \text{for example}$ $3^{2(3x+1)} \text{ or } (3^2)^{3x+1} \text{ or } (3^{(3x+1)})^2 \text{ or } 3^{3x+1} \times 3^{3x+1}$ $\text{or } (3\times3)^{3x+1} \text{ or } 3^2 \times (3^2)^{3x} \text{ or } (9^{\frac{1}{2}})^y \text{ or } 9^{\frac{1}{2}y}$	Expresses $9^{3x+1}$ correctly as a power of 3 or expresses $3^y$ correctly as a power of 9 or expresses $y$ correctly in terms of $x$	M1			
	or $y = 2(3x+1)$	(This mark is <u>not</u> for just $3^2 = 9$ )				
	$= 3^{6x+2}$ or $y = 6x + 2$ or $a = 6, b = 2$	Cao (isw if necessary)	A1			
	Providing there is no incorrect work, allow sight of $6x + 2$ to score both marks					
	Correct answer only in	•				
	<b>Special case:</b> $3^{6x+1}$ <b>only</b> scores M1A0					
		[2]				
	Alternative using logs					
	$9^{3x+1} = 3^y \implies \log 9^{3x+1} = \log 3^y$					
	$(3x+1)\log 9 = y\log 3$	Use power law correctly on both sides	M1			
	$y = \frac{\log 9}{\log 3} (3x + 1)$					
	y = 6x + 2	cao	A1			
			2 marks			

Question Number	Scheme	Notes	Ma	rks
3.(a)	$\sqrt{50} - \sqrt{18} = 5\sqrt{2} - 3\sqrt{2}$	$\sqrt{50} = 5\sqrt{2}$ or $\sqrt{18} = 3\sqrt{2}$ and the other term in the form $k\sqrt{2}$ . This mark may be implied by the correct answer $2\sqrt{2}$	M1	
	$=2\sqrt{2}$	Or $a = 2$	A1	
				[2]
(b) <b>WAY 1</b>	$\frac{12\sqrt{3}}{\sqrt{50} - \sqrt{18}} = \frac{12\sqrt{3}}{"2"\sqrt{2}}$	Uses part (a) by replacing denominator by their $a\sqrt{2}$ where $a$ is numeric. This is all that is required for this mark.	M1	
	$= \frac{12\sqrt{3}}{"2"\sqrt{2}} \times \frac{\sqrt{2}}{\sqrt{2}} = \frac{12\sqrt{6}}{4}$	Rationalises the denominator by a correct method e.g. multiplies numerator and denominator by $k\sqrt{2}$ to obtain a multiple of $\sqrt{6}$ . Note that multiplying numerator and denominator by $2\sqrt{2}$ or $-2\sqrt{2}$ is quite common and is acceptable for this mark. May be implied by a correct answer.  This is dependent on the first M1.	dM1	
	$= 3\sqrt{6} \text{ or } b = 3, c = 6$	Cao and cso	A1	
				[3]
WAY 2	$\frac{12\sqrt{3}}{\sqrt{50} - \sqrt{18}} \times \frac{\sqrt{50} + \sqrt{18}}{\sqrt{50} + \sqrt{18}}$ or $\frac{12\sqrt{3}}{5\sqrt{2} - 3\sqrt{2}} \times \frac{5\sqrt{2} + 3\sqrt{2}}{5\sqrt{2} + 3\sqrt{2}}$	For rationalising the denominator by a correct method i.e. multiplying numerator and denominator by $k\left(\sqrt{50} + \sqrt{18}\right)$	M1	
	$\frac{60\sqrt{6} + 36\sqrt{6}}{50 - 18}$	For replacing numerator by $\alpha \sqrt{6} + \beta \sqrt{6}$ . This is dependent on the first M1 and there is no need to consider the denominator for this mark.	dM1	
	$= 3\sqrt{6} \text{ or } b = 3, c = 6$	Cao and cso	A1	
				[3]
(b) WAY 3	$\frac{12\sqrt{3}}{\sqrt{50} - \sqrt{18}} = \frac{12\sqrt{3}}{"2"\sqrt{2}}$	Uses part (a) by replacing denominator by their $a\sqrt{2}$ where $a$ is numeric. This is all that is required for this mark.	M1	
	$= \frac{12\sqrt{3}}{2\sqrt{2}} = \frac{6\sqrt{3}}{\sqrt{2}} = \frac{\sqrt{108}}{\sqrt{2}} = \sqrt{54} = \sqrt{9}\sqrt{6}$	Cancels to obtain a multiple of $\sqrt{6}$ . This is dependent on the first M1.	dM1	
	$= 3\sqrt{6} \text{ Or } b = 3, c = 6$	Cao and cso	A1	
(k)		Hasa mont (a) by montoning description to the description		[3]
WAY 4	$\frac{12\sqrt{3}}{\sqrt{50} - \sqrt{18}} = \frac{12\sqrt{3}}{"2"\sqrt{2}}$	Uses part (a) by replacing denominator by their $a\sqrt{2}$ where $a$ is numeric. This is all that is required for this mark.	M1	
	$\left(\frac{12\sqrt{3}}{"2"\sqrt{2}}\right)^2 = \frac{432}{8}$			
	$\sqrt{54} = \sqrt{9}\sqrt{6}$	Obtains a multiple of $\sqrt{6}$ . This is dependent on the first M1.	dM1	
	$= 3\sqrt{6} \text{ Or } b = 3, c = 6$	Cao and cso (do not allow $\pm 3\sqrt{6}$ )	A1	
			5 ma	arks

4.(a)  4.(a)  4.(a)  5 Similar shape to given figure passing through the origin. A cubic shape with a maximum in the second quadrant and a minimum in the 4th quadrant. There must be evidence of a change in at least one of the y-coordinates (inconsistent changes in the y-coordinates (inconsistent changes in the y-coordinate are acceptable) but not the x-coordinates.  Maximum at (-2, 12) and minimum at (3, -24) with coordinates written the right way round. Condone missing brackets. The coordinates may appear on the sketch, or separately in the text (not necessarily referenced as A and B). If the are on the sketch, the x and y coordinates can be positioned correctly on the axes rather than given as coordinate pairs. In cases of ambiguity, the sketch has precedence. The origin does not need to be labelled. Nor do the x and y axes.  A positive cubic which does not pass through the origin with a maximum to the right of the y-axis and a minimum to the right of the y-axis and a minimum at (3, -12). Condone missing brackets. For the max allow just -2 or (0, -2) if marked in the correct place. If the coordinates are in the text, they must appear as (-2, 0) an must not contradict the sketch. The current of the x-axis at (-2, 0). For the min allow coordinates as shown or 3 and -12 to be marked in the correct place if the coordinates are in the text, they must appear as (-2, 0) and must not contradict the sketch. The current of the x-axis at (-2, 0). For the min allow coordinates are in the text, they must appear as (0, -4) and must not contradict the x-axis at (-2, 0). For the min allow coordinates are in the text, they must appear as (0, -4) and must not contradict the sketch.	Question Number	Scheme Notes	Marks
Maximum at (-2, 12) and minimum at (3, -24) with coordinates written the right way round. Condone missing brackets. The coordinates may appear on the sketch, or separately in the text (not necessarily referenced as A and B). If the are on the sketch, the x and y coordinates can be positioned correctly on the axes rather than given as coordinate pairs. In cases of ambiguity, the sketch has precedence. The origin does not need to be labelled. Nor do the x and y axes.  A positive cubic which does not pass through the origin with a maximum to the right of the y-axis.  Maximum at (-2, 0) and minimum at (3, -12). Condone missing brackets. For the max allow just -2 or (0, -2) if marked in the correct place. If the coordinates are in the text, they must appear as (-2, 0) and must not contradict the sketch. The curve must touch the x-axis at (-2, 0). For the min allow coordinates are shown or 3 and -12 to be marked in the correct places on the axes. In cases of ambiguity, the sketch has precedence.  Crosses y-axis at (0, -4). Allow just -4 (not +4) and allow (-4, 0) if marked in the correct place. If the coordinates are in the text, they must appear as (0, -4) and must not contradict the sketch.	4.(a)	(-2, 12)  Similar shape to given figure through the origin. A cubic maximum in the second quarinimum in the 4 <sup>th</sup> quadrant. There must be evidence of a least one of the <i>y</i> -coordinate (inconsistent changes in the are acceptable) but <b>not the</b>	shape with a adrant and a nt. a change in at es ey-coordinates
through the origin with a maximum to the left of the <i>y</i> -axis and a minimum to the right of the <i>y</i> -axis.  Maximum at (-2, 0) and minimum at (3, -12). Condone missing brackets. For the max allow just -2 or (0, -2) if marked in the correct place. If the coordinates are in the text, they must appear as (-2, 0) an must not contradict the sketch. The curve must <b>touch</b> the <i>x</i> -axis at (-2, 0). For the min allow coordinates as shown or 3 and -12 to be marked in the correct places on the axes. In cases of ambiguity, the sketch has precedence.  Crosses <i>y</i> -axis at (0, -4). Allow just -4 (not +4) and allow (-4, 0) if marked in the correct place. If the coordinates are in the text, they must appear as (0, -4) and must not contradict the sketch.		Maximum at (-2, 12) and m (3, -24) with coordinates we way round. Condone missing The coordinates may appear sketch, or separately in the necessarily referenced as A are on the sketch, the x and can be positioned correctly rather than given as coording In cases of ambiguity, the sprecedence. The origin does	ritten the right ng brackets.  It on the text (not and B). If they y coordinates on the axes nate pairs. I ketch has s not need to ad y axes.
through the origin with a maximum to the left of the <i>y</i> -axis and a minimum to the right of the <i>y</i> -axis.  Maximum at (-2, 0) and minimum at (3, -12). Condone missing brackets. For the max allow just -2 or (0, -2) if marked in the correct place. If the coordinates are in the text, they must appear as (-2, 0) an must not contradict the sketch. The curve must <b>touch</b> the <i>x</i> -axis at (-2, 0). For the min allow coordinates as shown or 3 and -12 to be marked in the correct places on the axes. In cases of ambiguity, the sketch has precedence.  Crosses <i>y</i> -axis at (0, -4). Allow just -4 (not +4) and allow (-4, 0) if marked in the correct place. If the coordinates are in the text, they must appear as (0, -4) and must not contradict the sketch.			[2
Maximum at (-2, 0) and minimum at (3, -12). Condone missing brackets. For the max allow just -2 or (0, -2) if marked in the correct place. If the coordinates are in the text, they must appear as (-2, 0) an must not contradict the sketch. The curve must <b>touch</b> the <i>x</i> -axis at (-2, 0). For the min allow coordinates as shown or 3 and -12 to be marked in the correct places on the axes. In cases of ambiguity, the sketch has precedence.  Crosses <i>y</i> -axis at (0, -4). Allow just -4 (not +4) and allow (-4, 0) if marked in the correct place. If the coordinates are in the text, they must appear as (0, -4) and must not contradict the sketch.	(b)	through the origin with a m left of the y-axis and a mini	aximum to the
-4 (not +4) and allow (-4, 0) if marked in the correct place. If the coordinates are in the text, they must appear as (0, -4) and		(-2, 0)  Maximum at (-2, 0) and mix (3, -12). Condone missing be the max allow just -2 or (0, in the correct place. If the coin the text, they must appear must not contradict the sket must touch the x-axis at (-2 min allow coordinates as shear -12 to be marked in the correct place. In cases of ambigu	brackets. For -2) if marked coordinates are ar as (-2, 0) and tch. The curve 2, 0). For the nown or 3 and rect places on
In cases of ambiguity, the sketch has precedence.		-4 (not +4) and allow (-4, 0) the correct place. If the coo the text, they must appear a must not contradict the sket In cases of ambiguity, the s	ordinates are in as (0, -4) and A1 tch. ketch has
			[3 5 marks

Question Number	Scheme	Notes	Marks		
	WA	XY 1			
5.	$y = -4x - 1$ $\Rightarrow (-4x - 1)^2 + 5x^2 + 2x = 0$	Attempts to makes y the subject of the linear equation and substitutes into the other equation. Allow slips e.g. substituting $y = -4x + 1$ etc.	M1		
	$21x^2 + 10x + 1 = 0$	Correct 3 term quadratic (terms do not need to be all on the same side).  The "= 0" may be implied by subsequent work.	A1		
	$(7x+1)(3x+1) = 0 \Rightarrow (x=)-\frac{1}{7}, -\frac{1}{3}$	dM1: Solves a <b>3 term</b> quadratic by the usual rules (see general guidance) to give at least one value for $x$ . <b>Dependent on the first method mark.</b> A1: $(x = ) - \frac{1}{7}$ , $-\frac{1}{3}$ (two separate correct exact answers). Allow exact equivalents e.g. $(x = ) - \frac{6}{42}$ , $-\frac{14}{42}$	- dM1 A1		
	$y = -\frac{3}{7}, \frac{1}{3}$	M1: Substitutes to find at least one $y$ value (Allow substitution into their rearranged equation above but not into an equation that has not been seen earlier). You may need to check here if there is no working and $x$ values are incorrect.  A1: $y = -\frac{3}{7}$ , $\frac{1}{3}$ (two correct exact answers)  Allow exact equivalents e.g. $y = -\frac{18}{42}$ , $\frac{14}{42}$	M1 A1		
	Coordinates do no	t need to be paired			
	Note that if the linear equation is explicitly rearranged to $y = 4x + 1$ , this gives the correct				
	answers for x and possibly for y. In these cases, if it is not already lost, deduct the final A1.				
	WAY 2				
	$x = -\frac{1}{4}y - \frac{1}{4}$ $\Rightarrow y^2 + 5(-\frac{1}{4}y - \frac{1}{4})^2 + 2(-\frac{1}{4}y - \frac{1}{4}) = 0$	Attempts to makes <i>x</i> the subject of the linear equation and substitutes into the other equation. Allow slips in the rearrangement as above.	M1		
	$\frac{21}{16}y^2 + \frac{1}{8}y - \frac{3}{16} = 0 \left(21y^2 + 2y - 3 = 0\right)$	Correct 3 term quadratic (terms do not need to be all on the same side).  The "= 0" may be implied by subsequent work.	A1		
	$(7y+3)(3y-1)=0 \Rightarrow (y=)-\frac{3}{7}, \frac{1}{3}$	dM1: Solves a <b>3 term</b> quadratic by the usual rules (see general guidance) to give at least one value for y. <b>Dependent on the first method mark.</b> A1: $(y = ) - \frac{3}{7}$ , $\frac{1}{3}$ (two separate correct exact answers). Allow exact equivalents e.g. $(y = ) - \frac{18}{42}$ , $\frac{14}{42}$	- dM1 A1		
	$x = -\frac{1}{7}, -\frac{1}{3}$	M1: Substitutes to find at least one $x$ value (Allow substitution into their rearranged equation above but not into an equation that has not been seen earlier). You may need to check here if there is no working and $y$ values are incorrect.  A1: $x = -\frac{1}{7}$ , $-\frac{1}{3}$ (two correct exact answers)  Allow exact equivalents e.g. $x = -\frac{6}{42}$ , $-\frac{14}{42}$	M1 A1		
Coordinates do not need to be paired					
	Note that if the linear equation is explicitly re	arranged to $x = (y + 1)/4$ , this gives the correct			
		es, if it is not already lost, deduct the final A1.			
			[6]		
			6 marks		

Question Number	Scheme	Notes	Marks
	$a_1 = 4, \ a_{n+1} = 5 - k$	$a_n$ , $n \dots 1$	
<b>6.</b> (a)	$a_2 = 5 - ka_1 = 5 - 4k$ $a_3 = 5 - ka_2 = 5 - k(5 - 4k)$	M1: Uses the recurrence relation correctly at least once. This may be implied by $a_2 = 5-4k$ or by the use of $a_3 = 5-k$ (their $a_2$ )  A1: Two correct expressions – need not be simplified but must be seen in (a).  Allow $a_2 = 5-k4$ and $a_3 = 5-5k+k^24$ Isw if necessary for $a_3$ .	M1A1
		1011 11 1100000001 1 101 003.	[2]
(b)	$\sum_{r=1}^{3} (1) = 1 + 1 + 1$	Finds $1+1+1$ or 3 somewhere in their solution (may be implied by e.g. $5+6-4k+6-5k+4k^2$ ). Note that $5+6-4k+6-5k+4k^2$ would score B1 and the M1 below.	B1
	$\sum_{r=1}^{3} a_r = 4 + "5 - 4k" + "5 - 5k + 4k^2"$	Adds 4 to their $a_2$ and their $a_3$ where $a_2$ and $a_3$ are functions of $k$ . The statement as shown is sufficient.	M1
	$\sum_{r=1}^{3} (1+a_r) = 17 - 9k + 4k^2$	Cao but condone '= 0' after the expression	A1
	Allow full marks in (b) for o	orrect answer only	
			[3]
(c)	500	cao	B1
			[1]
			6 marks

Question Number	Scheme	Notes	Marks				
7.	$y = 3x^2 + 6x^{\frac{1}{3}} + \frac{2x^3 - 7}{3\sqrt{x}}$						
	,	$3\sqrt{x}$					
		Attempts to split the fraction into 2 terms and obtains either $\alpha x^{\frac{5}{2}}$ or $\beta x^{-\frac{1}{2}}$ . This may be implied by a correct power of $x$ in their					
	$\frac{2x^3 - 7}{3\sqrt{x}} = \frac{2x^3}{3\sqrt{x}} - \frac{7}{3\sqrt{x}} = \frac{2}{3}x^{\frac{5}{2}} - \frac{7}{3}x^{-\frac{1}{2}}$	differentiation of one of these terms. But beware of $\beta x^{-\frac{1}{2}}$ coming from	M1				
		$\frac{2x^3 - 7}{3\sqrt{x}} = 2x^3 - 7 + 3x^{-\frac{1}{2}}$					
	$x^n \to x^{n-1}$	Differentiates by reducing power by one for any of their powers of <i>x</i>	M1				
		A1: 6x. Do not accept 6x <sup>1</sup> . Depends on second M mark only. Award when first seen and isw.					
		A1: $2x^{-\frac{2}{3}}$ . Must be simplified so do not					
		accept e.g. $\frac{2}{1}x^{-\frac{2}{3}}$ but allow $\frac{2}{\sqrt[3]{x^2}}$ . Depends					
	$\left(\frac{\mathrm{d}y}{\mathrm{d}x}\right) = 6x + 2x^{-\frac{2}{3}} + \frac{5}{3}x^{\frac{3}{2}} + \frac{7}{6}x^{-\frac{3}{2}}$	on second M mark only. Award when first seen and isw.					
		A1: $\frac{5}{3}x^{\frac{3}{2}}$ . Must be simplified but allow e.g.	A1A1A1A1				
		$1\frac{2}{3}x^{1.5}$ or e.g. $\frac{5}{3}\sqrt{x^3}$ . Award when first seen and isw.					
		A1: $\frac{7}{6}x^{-\frac{3}{2}}$ . Must be simplified but allow e.g.					
		$1\frac{1}{6}x^{-1\frac{1}{2}}$ or e.g. $\frac{7}{6\sqrt{x^3}}$ . Award when first					
	T	seen and isw.					
	In an otherwise <u>fully correct solution</u> , penalis						
			[6]				
	Use of Quotient Rule: First M1 and final A1A1 (Other marks as above)						
	$\frac{d\left(\frac{2x^3 - 7}{3\sqrt{x}}\right)}{dx} = \frac{3\sqrt{x}\left(6x^2\right) - \left(2x^3 - 7\right)\frac{3}{2}x^{-\frac{1}{2}}}{\left(3\sqrt{x}\right)^2}$	Uses <b>correct</b> quotient rule	M1				
	$\frac{dx}{dx} = \frac{1}{\left(3\sqrt{x}\right)^2}$	dament rate					
	$=\frac{10x^{\frac{5}{2}}+7x^{-\frac{1}{2}}}{6x}$	A1: Correct first term of numerator and correct denominator	A1A1				
	6 <i>x</i>	A1: All correct as simplified as shown					
	So $\frac{dy}{dx} = 6x + 2x^{-\frac{2}{3}} + \frac{10x^{\frac{5}{2}}}{}$	$\frac{1+7x^{-\frac{1}{2}}}{6x}$ scores full marks					
			6 marks				

Question Number	Scheme	Notes	Marks
<b>8.</b> (a)	$2px^{2} - 6px + 4p" = "3x - 7$ or $y = 2p\left(\frac{y+7}{3}\right)^{2} - 6p\left(\frac{y+7}{3}\right) + 4p$	<b>Either:</b> Compares the given quadratic expression with the given linear expression using $<$ , $>$ , $=$ , $\neq$ (May be implied) <b>or</b> Rearranges $y = 3x - 7$ to make $x$ the subject and substitutes into the given quadratic	M1
	$2px^{2} - 6px + 4p - 3x + 7\left(\overline{=0}\right)$ $2p\left(\frac{y+7}{3}\right)^{2} - 6p\left(\frac{y+7}{3}\right) + 4p - y\left(\frac{y+7}{3}\right)$ $y = 2px^{2} - 6p\left(\frac{y+7}{3}\right)$	$\frac{\text{nmples}}{-2px^2 + 6px - 4p + 3x - 7(= 0)}$ $= 0),  2py^2 + (10p - 9)y + 8p(= 0)$ $6px + 4p - 3x + 7$	dM1
	Moves all the terms to one side allowing  The terms do not need to be collected		
	E.g. $b^{2} - 4ac = (-6p - 3)^{2} - 4(2p)(4p + 7)$ $b^{2} - 4ac = (10p - 9)^{2} - 4(2p)(8p)$	Attempts to use $b^2 - 4ac$ with their $a$ , $b$ and $c$ where $a = \pm 2p$ , $b = \pm (-6p \pm 3)$ and $c = \pm (4p \pm 7)$ or for the quadratic in $y$ , $a = \pm 2p$ , $b = \pm (10p \pm 9)$ and $c = \pm 8p$ . This could be as part of the quadratic formula or as $b^2 < 4ac$ or as $b^2 > 4ac$ or as $\sqrt{b^2 - 4ac}$ etc. If it is part of the quadratic formula only look for use of $b^2 - 4ac$ . There must be no $x$ 's or $y$ 's. <b>Dependent on both method marks.</b>	ddM1
	$4p^2 - 20p + 9 < 0 *$	Obtains printed answer with <b>no errors</b> seen (Allow $0 > 4p^2 - 20p + 9$ ) <b>but this</b> < 0 must been seen at some stage before the last line.	A1*
(b)	$(2p-9)(2p-1)=0 \Rightarrow p= \text{ to obtain } p=$	Attempt to solve the <b>given</b> quadratic to find 2 values for <i>p</i> . See general guidance.	[4] M1
	$p = \frac{9}{2},  \frac{1}{2}$	Both correct. May be implied by e.g. $p < \frac{9}{2}$ , $p < \frac{1}{2}$ . Allow equivalent values e.g. 4.5, $\frac{36}{8}$ , 0.5 etc. If they use the quadratic formula allow $\frac{20\pm16}{8}$ for this mark but not $\sqrt{256}$ for 16 and allow e.g. $\frac{5}{2}\pm2$ if they complete the square.	A1
	$\frac{1}{2}  Allow equivalent values e.g. \frac{36}{8} for 4\frac{1}{2}$	M1: Chooses 'inside' region i.e. Lower Limit $ Upper Limit or e.g. Lower Limit \le p \le Upper Limit  A1: Allow p \in (\frac{1}{2}, 4\frac{1}{2}) or just (\frac{1}{2}, 4\frac{1}{2}) and allow p > \frac{1}{2} and p < 4\frac{1}{2} and 4\frac{1}{2} > p > \frac{1}{2} but p > \frac{1}{2}, p < 4\frac{1}{2} scores M1A0 \frac{1}{2} > p > 4\frac{1}{2} scores M0A0$	M1A1
	Allow working in terms of x in (b) but the an	swer must be in terms of $p$ for the final A mark.	[4]
			8 marks

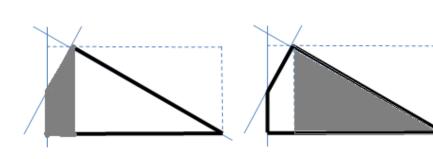
Question Number	Scheme	Notes	Marks			
9.(a)	John; arithmetic series,	a = 60, d = 15.				
	$60 + 75 + 90 = 225*$ or $S_3 = \frac{3}{2} (120 + (3-1)(15)) = 225*$	Finds and adds the first 3 terms or uses sum of 3 terms of an AP and obtains the printed answer, with no errors.	B1 *			
	$\frac{\text{Beware:}}{\text{The 12}^{\text{th}} \text{ term of the sequence is 225 also so look out for } 60 + (12 - 1) \times 15 = 225. \text{ This is B0.}$					
(b)	$t_9 = 60 + (n-1)15 = (£)180$	M1: Uses $60 + (n-1)15$ with $n = 8$ or $9$ A1: $(£)180$	[1] M1 A1			
	M1: Uses $a = 60$ and $d = 15$ to select the 8 A1: $(£)$ 1: (Special case $(£)$ 165 on	th or 9 <sup>th</sup> term (allow arithmetic slips)				
			[2]			
(c)	$S_n = \frac{n}{2} (120 + (n-1)(15))$ or $S_n = \frac{n}{2} (60 + 60 + (n-1)(15))$	Uses correct formula for sum of $n$ terms with $a = 60$ and $d = 15$ (must be a correct formula but ignore the value they use for $n$ or could be in terms of $n$ )	M1			
	$S_n = \frac{12}{2} (120 + (12 - 1)(15))$	Correct numerical expression	A1			
	=(£)1710	cao	A1			
_	M1: Uses $a = 60$ and $d = 15$ and finds the sum of at least 12 terms (allow arithmetic slips) $A2: (£)1710$					
(d)	$3375 = \frac{n}{2} (120 + (n-1)(15))$	Uses correct formula for sum of $n$ terms with $a = 60$ , $d = 15$ and puts = 3375	M1			
	$6750 = 15n(8 + (n - 1)) \Rightarrow 15n^2 + 105n = 6750$	Correct three term quadratic. E.g. $6750 = 105n + 15n^2$ , $3375 = \frac{15}{2}n^2 + \frac{105}{2}n$ This may be implied by equations such as $6750 = 15n(n+7)$ or $3375 = \frac{15}{2}(n^2 + 7n)$	A1			
	$n^2 + 7n = 25 \times 18$ *	Achieves the printed answer with no errors but must see the 450 or 450 in factorised form or e.g. 6750, 3375 in factorised form i.e. an intermediate step.	A1*			
(e)	$n = 18 \Rightarrow \text{Aged } 27$	M1: Attempts to solve the given quadratic or states $n = 18$ A1: Age = 27 or just 27	[3] M1 A1			
	Age = 27 only scores both marks (i.e. $n = 18$ need not be seen)					
	Note that (e) is not hence so allow valid atten	npts to solve the given equation for M1				
			[2]			
			11 marks			

n	1	2	3	4	5	6	7	8	9
$u_n$	60	75	90	105	120	135	150	165	180
$S_n$	60	135	225	330	450	585	735	900	1080
Age	10	11	12	13	14	15	16	17	18

n	10	11	12	13	14	15	16	17	18
$u_n$	195	210	225	240	255	270	285	300	315
$S_n$	1275	1485	1710	1950	2205	2475	2760	3060	3375
Age	19	20	21	22	23	24	25	26	27

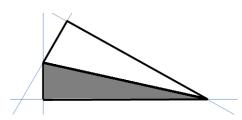
Question Number	Sche	eme	Notes		Marks		
10.(a)	$l_1$ : passes through	$(0, 2)$ and $(3, 7)$ $l_2$ : g	oes through (3, 7) and is pe	erpendicular to $l_1$			
	Gradient of $l_1$	is $\frac{7-2}{3-0} \left( = \frac{5}{3} \right)$	$m(l_1) = \frac{7-2}{3-0}$ . Allow un-sin May be implied.	nplified.	B1		
	$m(l_2) = -1$	$\div their \frac{5}{3}$	Correct application of perperule	ndicular gradient	M1		
	$y - 7 = "-$ $y = "-\frac{3}{5}" x + c, 7 = "-$	r	M1: Uses $y - 7 = m(x - 3)$ gradient or uses $y = mx + c$ their <b>changed</b> gradient to find A1ft: Correct ft equation for	with $(3, 7)$ and a value for $c$	M1A1ft		
	gradient (this is dependent on both M marks) $3x + 5y - 44 = 0$ Any positive or negative integer multiple. Must be seen in (a) and must include "= 0".						
					[5]		
	When y	0 r = 44	M1: Puts $y = 0$ and finds a vequation		M1 A1		
(b)	When $y = 0$	$3x = \frac{1}{3}$	A1: $x = \frac{44}{3}$ (or $14\frac{2}{3}$ or $14$ .)	M1 A1			
	equivalent. $(y = 0 \text{ not needed})$ Condone $3x - 5y - 44 = 0$ only leading to the correct answer						
	and condone coordinates written as (0, 44/3) but allow recovery in (c)						
(c)		GENERAL	APPROACH:		[2]		
	Correct attempt at finding the area of any one of the triangles or one of the trapezia but not just one rectangle. The correct pair of 'base' and 'height' must be used for a triangle and the correct formula used for a trapezium. If Pythagoras is required, then it must be used correctly with the correct end coordinates.  Note that the first three marks apply to their calculated coordinates e.g. their $\frac{44}{3}$ , $\frac{44}{5}$ , $-\frac{6}{5}$						
			nust be correct e.g. (0, 2) and				
	A correct numeric	_	ea of one <b>triangle</b> or one <b>trap</b> dinates.	ezium for their	A1ft		
	numerical expressions f	ect areas together correct or areas have been income	tly for their chosen "way". No rrectly simplified before comb	oining them, then this	dM1		
		ression for the area of O	dent on the first method ma RQP. The expressions must no follow through.		A1		
	Correct exact area e.g. $54\frac{1}{3}$ , $\frac{163}{3}$ , $\frac{326}{6}$ , $54.3$ or any exact equivalent						
	Shape	Vertices	Numerical Expression	Exact Area			
	Triangle	TRQ	$\frac{1}{2} \times 7 \times \left(\frac{44}{3} - 3\right)$ $\frac{1}{2} \times \frac{6}{5} \times 2$	$\frac{245}{6}$			
	Triangle	SPO	$\frac{1}{2} \times \frac{6}{5} \times 2$	$\frac{6}{5}$			
	Triangle	PWQ	$\frac{1}{2} \times \left(\frac{44}{5} - 2\right) \times 3$ $\frac{1}{2} \times (7 - 2) \times 3$	<u>51</u> 5			
	Triangle	PVQ	$\frac{1}{2}$ × $(7-2)$ ×3	$\frac{15}{2}$			

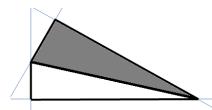
	Triangle	VWQ	$\frac{1}{2} \times \left(\frac{44}{5} - 7\right) \times 3$	$\frac{27}{10}$	
	Triangle	QUR	$\frac{1}{2} \times \left(\frac{44}{3} - 3\right) \times 7$	$\frac{245}{6}$	
	Triangle	PQR	$\frac{1}{2} \times \sqrt{34} \times \frac{7}{3} \times \sqrt{34}$	$\frac{119}{3}$	
	Triangle	PNQ	$\frac{\frac{1}{2} \times \frac{34}{3} \times 5}{\frac{1}{2} \times 2 \times 3}$	$\frac{119}{3}$ $\frac{85}{3}$ $3$	
	Triangle	OPQ	$\frac{1}{2} \times 2 \times 3$	3	
	Triangle	OQR	$\frac{1}{2} \times \frac{44}{3} \times 7$	$\frac{154}{3}$	
	Triangle	OWR	$\frac{1}{2} \times \frac{44}{3} \times \frac{44}{5}$	$\frac{968}{15}$	
	Triangle	SQR	$\frac{\frac{1}{2} \times \frac{44}{3} \times 7}{\frac{\frac{1}{2} \times \frac{44}{3} \times \frac{44}{5}}{\frac{1}{2} \times \left(\frac{44}{3} + \frac{6}{5}\right) \times 7}$	833 15	
	Triangle	OPR	$\frac{1}{2} \times \frac{44}{3} \times 2$	$\frac{\frac{44}{3}}{\frac{27}{2}}$	
	Trapezium	OPQT	$\frac{1}{2}(2+7)\times 3$	$\frac{27}{2}$	
	Trapezium	OPNR	$\frac{1}{2} \times \left(\frac{34}{3} + \frac{44}{3}\right) \times 2$	26	
	Trapezium	OVQR	$\frac{1}{2} \times \left(3 + \frac{44}{3}\right) \times 7$	$\frac{371}{6}$	
			AMPLES		
(c)		V	VAY 1		
	$OPOT = \frac{1}{2}$	$-(2+7) \times 3$	M1: Correct method for <i>OPQT</i> or <i>TRQ</i>		
	$OPQT = \frac{1}{2}(2+7) \times 3$ or $TRQ = \frac{1}{2} \times 7 \times \left(\frac{44}{3} - 3\right)$ $\frac{1}{2}(2+7) \times 3 + \frac{1}{2} \times 7 \times \left(\frac{44}{3} - 3\right)$ $54 \frac{1}{3}$		A1ft: $OPQT = \frac{1}{2}(2+7) \times 3$ $TRQ = \frac{1}{2} \times 7 \times \left(\frac{44}{3} - 3\right)$	or	M1A1ft
			dM1: Correct numerical corthat have been calculated corthat Fully Correct numericates <i>ORQP</i>	orrectly	- dM1A1
			Any exact equivalent e.g. 1	$\frac{63}{3}$ , $\frac{326}{6}$ , $54.3$	A1



$$\frac{1}{2} \times (7+2) \times 3 + \frac{1}{2} \times \frac{"35"}{3} \times 7$$
$$= \frac{27}{2} + \frac{245}{6} = \frac{326}{6}$$

	WAY 2			
	$PQR = \frac{1}{2} \times \sqrt{34} \times \frac{7}{3} \times \sqrt{34}$	M1: Correct method for <i>PQR</i> or <i>OPR</i>		
	or 44	A1ft: $PQR = \frac{1}{2} \times \sqrt{34} \times \frac{7}{3} \times \sqrt{34}$ or	M1A1ft	
		$OPR = \frac{1}{2} \times \frac{44}{3} \times 2$		
	$\frac{1}{2} \times \sqrt{34} \times \frac{7}{3} \times \sqrt{34} + \frac{1}{2} \times \frac{44}{3} \times 2$	dM1: Correct numerical combination of areas that have been calculated correctly A1: <b>Fully Correct</b> numerical expression for the area <i>ORQP</i>	dM1A1	
	54 ½	Any exact equivalent e.g. $\frac{163}{3}$ , $\frac{326}{6}$ , 54.3	A1	

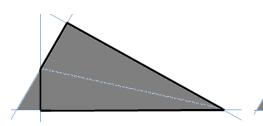


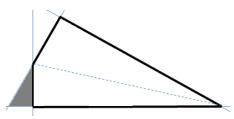


$$\frac{1}{2} \times \frac{"44"}{3} \times 2 + \frac{1}{2} \times \sqrt{34} \times "\frac{7}{3} \sqrt{34}"$$

$$= \frac{88}{6} + \frac{238}{6} = \frac{326}{6}$$

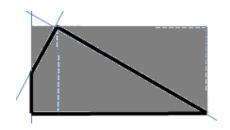
W	AY 3	
$SQR = \frac{1}{2} \times 7 \times \frac{238}{15}$ or $SPO = \frac{1}{2} \times \frac{6}{5} \times 2$	M1: Correct method for $SQR$ or $SPO$ A1ft: $SQR = \frac{1}{2} \times 7 \times \frac{238}{15}$ or $SPO = \frac{1}{2} \times \frac{6}{5} \times 2$	M1A1ft
$\frac{1}{2} \times 7 \times \frac{238}{15} - \frac{1}{2} \times \frac{6}{5} \times 2$	dM1: Correct numerical combination of areas that have been calculated correctly A1: Fully Correct numerical expression for the area <i>ORQP</i>	dM1A1
54 ½	Any exact equivalent e.g. $\frac{163}{3}$ , $\frac{326}{6}$ , 54.3	A1

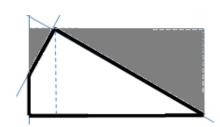




$$\frac{1}{2} \times \frac{"238"}{15} \times 7 - \frac{1}{2} \times \frac{"6"}{5} \times 2$$
$$= \frac{1666}{30} - \frac{6}{5} = \frac{1630}{30}$$

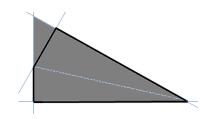
	WA	AY 4	
	$PVQ = \frac{1}{2} \times 5 \times 3$	M1: Correct method for PVQ or QUR	
	25	A1ft: $PVQ = \frac{1}{2} \times 5 \times 3$	M1A1ft
		or $QUR = \frac{1}{2} \times 7 \times \frac{35}{3}$	
	OVUR $7 \times \frac{44}{3} - \frac{1}{2} \times 5 \times 3 - \frac{1}{2} \times 7 \times \frac{35}{3}$	dM1: Correct numerical combination of areas that have been calculated correctly A1: <b>Fully Correct</b> numerical expression for the area <i>ORQP</i>	dM1A1
	54 ½	Any exact equivalent e.g. $\frac{163}{3}$ , $\frac{326}{6}$ , $54.3$	A1

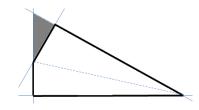




$$7 \times \frac{\text{"44"}}{3} - \frac{1}{2} \times 5 \times 3 - \frac{1}{2} \times \frac{\text{"35"}}{3} \times 7$$
$$= \frac{308}{3} - \frac{15}{2} - \frac{245}{6} = \frac{326}{6}$$

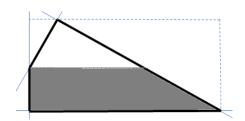
WAY 5		
$OWR = \frac{1}{2} \times \frac{44}{3} \times \frac{44}{5}$	M1: Correct method for OWR or PWQ	
$PWQ = \frac{1}{2} \times \left(\frac{44}{5} - 2\right) \times 3$	A1ft: $OWR = \frac{1}{2} \times \frac{44}{3} \times \frac{44}{5}$ or $PWQ = \frac{1}{2} \times \left(\frac{44}{5} - 2\right) \times 3$	M1A1ft
$\frac{1}{2} \times \frac{44}{3} \times \frac{44}{5} - \frac{1}{2} \times \left(\frac{44}{5} - 2\right) \times 3$	dM1: Correct numerical combination of areas that have been calculated correctly A1: Fully Correct numerical expression for the area <i>ORQP</i>	dM1A1
5 4 ½	Any exact equivalent e.g. $\frac{163}{3}$ , $\frac{326}{6}$ , $54.3$	A1

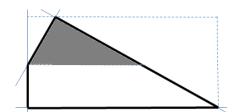




$$\frac{1}{2} \times \frac{\text{"44"}}{5} \times \frac{\text{"44"}}{3} - \frac{1}{2} \times \left(\frac{44}{5} - 2\right) \times 3$$
$$= \frac{968}{15} - \frac{51}{5} = \frac{163}{3}$$

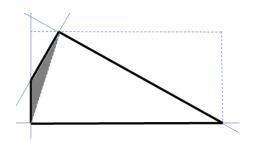
WA	Y 6	
anun 1 (34 44) a	M1: Correct method for <i>OPNR</i> or <i>PNQ</i>	
$OPNR = \frac{1}{2} \times \left(\frac{34}{3} + \frac{44}{3}\right) \times 2$ or	A1ft: $OPNR = \frac{1}{2} \times \left(\frac{34}{3} + \frac{44}{3}\right) \times 2$	M1A1ft
$PNQ = \frac{1}{2} \times \frac{34}{3} \times 5$	$PNQ = \frac{1}{2} \times \frac{34}{3} \times 5$	
$\frac{1}{2} \times \left(\frac{34}{3} + \frac{44}{3}\right) \times 2 + \frac{1}{2} \times \frac{34}{3} \times 5$	dM1: Correct numerical combination of areas that have been calculated correctly A1: Fully Correct numerical expression for the area <i>ORQP</i>	dM1A1
5 4 ½	Any exact equivalent e.g. $\frac{163}{3}$ , $\frac{326}{6}$ , 54.3	A1

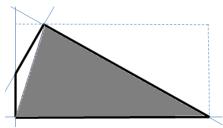




$$\frac{1}{2} \times \left(\frac{"34"}{3} + \frac{"44"}{3}\right) \times 2 + \frac{1}{2} \times \frac{"34"}{3} \times 5$$
$$= \frac{156}{6} + \frac{170}{6} = \frac{326}{6}$$

WAY 7		
$OPQ = \frac{1}{2} \times 3 \times 2$ $OPQ = \frac{1}{2} \times \frac{44}{3} \times 7$	M1: Correct method for $OPQ$ or $OQR$ A1ft: $OPQ = \frac{1}{2} \times 3 \times 2$ or $OQR = \frac{1}{2} \times \frac{44}{3} \times 7$	M1A1ft
$\frac{1}{2} \times 3 \times 2 + \frac{1}{2} \times \frac{44}{3} \times 7$	dM1: Correct numerical combination of areas that have been calculated correctly A1: Fully Correct numerical expression for the area <i>ORQP</i>	dM1A1
5 4 ½	Any exact equivalent e.g. $\frac{163}{3}$ , $\frac{326}{6}$ , 54.3	A1

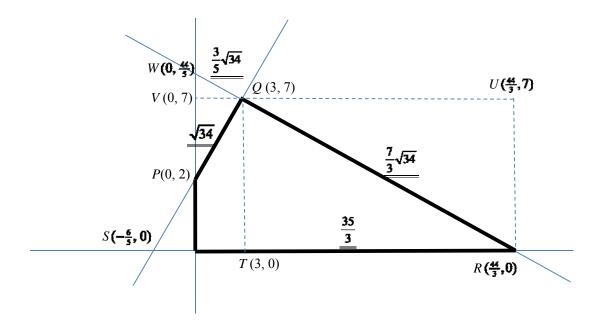


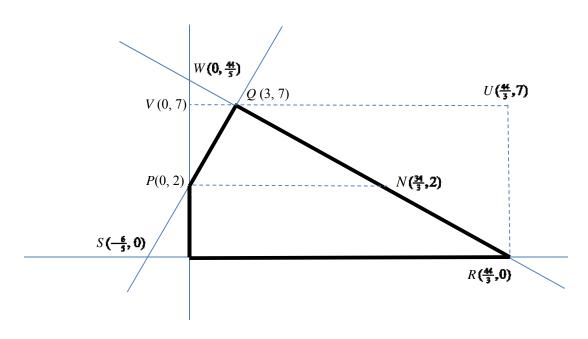


$$\frac{1}{2} \times 3 \times 2 + \frac{1}{2} \times \frac{"44"}{3} \times 7$$
$$= 3 + \frac{308}{6} = \frac{326}{6}$$

	WAY 8			
	$\frac{1}{2} \begin{vmatrix} 0 & \frac{44}{3} & 3 & 0 & 0 \\ 0 & 0 & 7 & 2 & 0 \end{vmatrix}$	M1: Uses the vertices of the quadrilateral to form a determinant $\begin{vmatrix} 0 & \frac{44}{3} & 3 & 0 & 0 \\ 0 & 0 & 7 & 2 & 0 \end{vmatrix}$	M1A1ft	
		A1ft: $\frac{1}{2}\begin{vmatrix} 0 & \frac{44}{3} & 3 & 0 & 0 \\ 0 & 0 & 7 & 2 & 0 \end{vmatrix}$		
	$\frac{1}{2} \left( \frac{44}{3} \times 7 + 3 \times 2 \right)$	dM1: Fully correct determinant method with no errors A1: Fully Correct numerical expression for	dM1A1	
	5 4 <del>1</del> 3	the area $ORQP$ Any exact equivalent e.g. $\frac{163}{3}$ , $\frac{326}{6}$ , $54.3$	A1	

There will be other ways but the same approach to marking should be applied.





Question Number	Scheme		Marks
11. (a)	$y = 2x^3 + kx^2 + 5x + 6$		
	$\left(\frac{\mathrm{d}y}{\mathrm{d}x} = \right)6x^2 + 2kx + 5$	M1: $x^n \to x^{n-1}$ for one of the terms including $6 \to 0$ A1: Correct derivative	M1 A1
			[2]
(b)	Gradient of given line is $\frac{17}{2}$	Uses or states $\frac{17}{2}$ or equivalent e.g. 8.5. Must be stated or used in (b) and not just seen as part of $y = \frac{17}{2}x + \frac{1}{2}$ .	B1
	$\left(\frac{dy}{dx}\right)_{x=-2} = 6(-2)^2 + 2k(-2) + 5$	Substitutes $x = -2$ into their derivative ( <b>not the curve</b> )	M1
	$"24 - 4k + 5" = "\frac{17}{2}" \Rightarrow k = \frac{41}{8}$	dM1: Puts their expression = their $\frac{17}{2}$ (Allow BOD for 17 or -17 but <b>not</b> the normal gradient) and solves to obtain a value for $k$ . <b>Dependent on the previous method mark</b> .	dM1 A1
		A1: $\frac{41}{8}$ or $5\frac{1}{8}$ or 5.125	
	Note:		
	$6x^2 + 2kx + 5 = \frac{17}{2}x + \frac{1}{2}$ scores no marks on its own but may score the first M mark if they substitute $x = -2$ into the lhs. If they rearrange this equation and then substitute $x = -2$ , this scores no marks.		
			[4]
(c)	$y = -16 + 4k - 10 + 6 = 4$ " $k$ " $-20 = \frac{1}{2}$	M1: Substitutes $x = -2$ and their numerical $k$ into $y =$ A1: $y = \frac{1}{2}$	M1 A1
	Allow the marks for part (c) to be scored in part (b).		
			[2]
(d)	$y - \frac{1}{2} = \frac{17}{2} (x - 2) \Rightarrow -17x + 2y - 35 = 0$ or $y = \frac{17}{2} x + c \Rightarrow c = \dots \Rightarrow -17x + 2y - 35 = 0$	M1: Correct attempt at linear equation with their 8.5 gradient (not the normal gradient) using $x = -2$ and their $\frac{1}{2}$	M1 A1
	$ \begin{array}{c} 2 & \text{or} \\ 2y - 17x = 1 + 34 \Rightarrow -17x + 2y - 35 = 0 \end{array} $	A1: cao (allow any integer multiple)	
			[2]
			10 marks

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