CAMBRIDGE INTERNATIONAL EXAMINATIONS

GCE Advanced Subsidiary and Advanced Level

MARK SCHEME for the June 2005 question papers

9709 MATHEMATICS 8719 HIGHER MATHEMATICS

8719/07, 9709/07 - Paper 7, maximum raw mark 50

This mark scheme is published as an aid to teachers and students, to indicate the requirements of the examination. It shows the basis on which Examiners were initially instructed to award marks. It does not indicate the details of the discussions that took place at an Examiners' meeting before marking began. Any substantial changes to the mark scheme that arose from these discussions will be recorded in the published *Report on the Examination*.

All Examiners are instructed that alternative correct answers and unexpected approaches in candidates' scripts must be given marks that fairly reflect the relevant knowledge and skills demonstrated.

Mark schemes must be read in conjunction with the question papers and the *Report on the Examination*.

• CIE will not enter into discussion or correspondence in connection with these mark schemes.

CIE is publishing the mark schemes for the June 2005 question papers for most IGCSE and GCE Advanced Level and Advanced Subsidiary Level syllabuses and some Ordinary Level syllabuses.



Grade thresholds for Syllabus 8719 and 9709 (Mathematics and Higher Mathematics) in the June 2005 examination.

	maximum	minimum mark required for grade:				
	mark available		В	Е		
Component 7	50	39	34	18		

The thresholds (minimum marks) for Grades C and D are normally set by dividing the mark range between the B and the E thresholds into three. For example, if the difference between the B and the E threshold is 24 marks, the C threshold is set 8 marks below the B threshold and the D threshold is set another 8 marks down. If dividing the interval by three results in a fraction of a mark, then the threshold is normally rounded down.



UNIVERSITY of CAMBRIDGE International Examinations

Mark Scheme Notes

- Marks are of the following three types:
 - Method mark, awarded for a valid method applied to the problem. Method Μ marks are not lost for numerical errors, algebraic slips or errors in units. However, it is not usually sufficient for a candidate just to indicate an intention of using some method or just to quote a formula; the formula or idea must be applied to the specific problem in hand, e.g. by substituting the relevant quantities into the formula. Correct application of a formula without the formula being quoted obviously earns the M mark and in some cases an M mark can be implied from a correct answer.
 - А Accuracy mark, awarded for a correct answer or intermediate step correctly obtained. Accuracy marks cannot be given unless the associated method mark is earned (or implied).
 - В Mark for a correct result or statement independent of method marks.
- When a part of a question has two or more "method" steps, the M marks are generally independent unless the scheme specifically says otherwise; and similarly when there are several B marks allocated. The notation DM or DB (or dep*) is used to indicate that a particular M or B mark is dependent on an earlier M or B (asterisked) mark in the scheme. When two or more steps are run together by the candidate, the earlier marks are implied and full credit is given.
- The symbol $\sqrt{}$ implies that the A or B mark indicated is allowed for work correctly following on from previously incorrect results. Otherwise, A or B marks are given for correct work only. A and B marks are not given for fortuitously "correct" answers or results obtained from incorrect working.
- Note: B2 or A2 means that the candidate can earn 2 or 0. B2,1, 0 means that the candidate can earn anything from 0 to 2.

The marks indicated in the scheme may not be subdivided. If there is genuine doubt whether a candidate has earned a mark, allow the candidate the benefit of the doubt. Unless otherwise indicated, marks once gained cannot subsequently be lost, e.g. wrong working following a correct form of answer is ignored.

- Wrong or missing units in an answer should not lead to the loss of a mark unless the scheme specifically indicates otherwise.
- For a numerical answer, allow the A or B mark if a value is obtained which is correct to 3 s.f., or which would be correct to 3 s.f. if rounded (1 d.p. in the case of an angle). As stated above, an A or B mark is not given if a correct numerical answer arises fortuitously from incorrect working. For Mechanics guestions, allow A or B marks for correct answers which arise from taking g equal to 9.8 or 9.81 instead of 10.



The following abbreviations may be used in a mark scheme or used on the scripts:

- AEF Any Equivalent Form (of answer is equally acceptable)
- AG Answer Given on the question paper (so extra checking is needed to ensure that the detailed working leading to the result is valid)
- BOD Benefit of Doubt (allowed when the validity of a solution may not be absolutely clear)
- CAO Correct Answer Only (emphasising that no "follow through" from a previous error is allowed)
- CWO Correct Working Only often written by a 'fortuitous' answer
- ISW Ignore Subsequent Working
- MR Misread
- PA Premature Approximation (resulting in basically correct work that is insufficiently accurate)
- SOS See Other Solution (the candidate makes a better attempt at the same question)
- SR Special Ruling (detailing the mark to be given for a specific wrong solution, or a case where some standard marking practice is to be varied in the light of a particular circumstance)

Penalties

- MR -1 A penalty of MR -1 is deducted from A or B marks when the data of a question or part question are genuinely misread and the object and difficulty of the question remain unaltered. In this case all A and B marks then become "follow through √" marks. MR is not applied when the candidate misreads his own figures this is regarded as an error in accuracy. An MR-2 penalty may be applied in particular cases if agreed at the coordination meeting.
- PA -1 This is deducted from A or B marks in the case of premature approximation. The PA -1 penalty is usually discussed at the meeting.



JUNE 2005

GCE AS AND A LEVEL

MARK SCHEME

MAXIMUM MARK: 50

SYLLABUS/COMPONENT: 9709/07, 8719/07

MATHEMATICS AND HIGHER MATHEMATICS Paper 7



UNIVERSITY of CAMBRIDGE International Examinations

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Page 1	Mark Scl	homo	Syllabus Pap	
Page 1 Mark Sch GCE AS/A LEVEL				
1 $55 = 70a + b$ $6.96 = 8.7a \text{ or } 6.96^2 = 8.7^2 a^2$		M1 M1	For an equation relating to the means For an equation relating to the variance or sd, only <i>a</i> in it	
	a = 0.8 b = -1	A1 A1 (4)	For correct <i>a</i> For correct <i>b</i>	
2 (i)	Put names in a hat and draw out, or assign a number to each person in year and generate 7 random numbers by calculator.	B1 (1)	Or any equivalent method, could use systematic sampling	
(ii)	est pop mean 116.5/7 (= 16.6)	B1 (1) B1 M1	For using a correct formula (can be	
	est pop var = 27.1	A1 (3)	implied) For correct answer	
(iii)	more	B1 (1)		
	(pocket money of) all pupils in Jenny's year at school	B1 (1)	Need to see all of this	
3 (i)	(0.1993 + 0.2887)/2 (= 0.244) = 61/n n = 250	B1 M1 A1 (3)	For correct mid-point For equating their mid-point with 61/ <i>n</i> For correct answer	
(ii)	$0.0447 = z \times \sqrt{\frac{0.244(1 - 0.244)}{250}}$	M1	For equating half-width with $z \times \sqrt{\frac{pq}{n}}$	
	(or equiv. equ. leading to this)	M1	or equiv. For solving for <i>z</i> from a reasonable looking equation	
	<i>z</i> = 1.646	A1	For obtaining $z = 1.64$ or 1.65	
	90% confidence interval H ₀ : μ = 21.2	A1ft (4) B1	For correct answer (nearest whole no.) For H_0 and H_1 correct must be \neq	
4 (I)	H ₀ . $\mu = 21.2$ H ₁ : $\mu \neq 21.2$ Test statistic $z = \frac{19.4 - 21.2}{(7.3 / \sqrt{90})}$	M1	For standardising must have $\sqrt{90}$	
	$(7.37\sqrt{30})^{2}$ = -2.34 CV z = ± 1.96 In CR, reject H ₀ . Sig evidence to say not the same author	A1 M1 A1ft (5)	For correct <i>z</i> accept +/- For correct comparison with correct critical value, ft from their H ₁ For correct conclusion ft on their <i>z</i> and their CV	
	or ⊕ (-2.339) = 1 - 0.9903 = 0.0097/0.0096 Compare with 0.025	M1	For correct $\Phi_{\rm i}$ and correct comparison (consistent with ${\rm H_1})$	
	say sig evidence to say not the same sentence length or author	A1ft	For correct conclusion ft on their Φ and 0.025	
	or x = 21.2 ± 1.96x(7.3/√ 90) = 19.7(22.7)	M1 A1	For expression for <i>x</i> with correct (consistent) <i>z</i>	
	Compare with 19.4 etc.	M1 A1ft	For correct comparison and conclusion(ft)	
(ii)	Say it is not the same sentence length or author when it is P (Type I error) = 5%	B1 B1 (2)	For correct statement For correct answer	

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GCE AS/A LEVEL – JUNE 2005 $g719 \text{ and } 9709$ 7 5 (i) $T - N(1.54 \times 4, 0.05^2 \times 4)$ $[-N(6.16, 0.01)]$ B1 For mult mean and variance by 4 P(T>5.95) = 1 - Φ {(5.95-6.16)/\0.01} M1 For standardising must have $$ = Φ (2.1) M1 For correct area i.e. > 0.5 = 0.982 A1 (4) For correct answer (ii) Av ~ N(6.16, 0.01/20) B1ft For dividing their variance by 20 P(Av > 6.2) = 1 - Φ {(6.2 - 6.16) /(0.01/20)} M1 For standardising (must use consistent values) = 1 - Φ (1.789) = 1 - Φ (10.01/20) B1ft For correct answer or Tot- N(123.2, 0.2) P(Tot>124) = 1 - Φ {(123.2-124) /(0.2) etc. M1 Correct mean of 2 or 1.25 used in Poisson expression 6 (i) (a) East P(≥1) = 1 - $e^{-1.26}$ = 0.7135 M1 One Poisson expression P(≥1)=1 - P(0) or 1 - P(1) any mean. P(Both) = 0.8647 × 0.7135 M1 For correct answer (b) P(total ≥2) = 1 - $e^{-134}(1+13/4)$ M1 For attempt at summing their means and for 1 - their P(0, 1) or 1 - their P(0, 1, 2) or 1 - P(0, -P(1, 2)) or 1 - P(0, -P(0, 1)) or 1 - P(0, -P(0, -1))) = 0.835 A1 (2) For correct answer </th <th>Pac</th> <th colspan="5">Page 2 Mark Scheme Syllabus Page</th> <th>Paper</th>	Pac	Page 2 Mark Scheme Syllabus Page					Paper
5 (i) $T = N(6.16, 0.01)$ B1 For mult mean and variance by 4 P(T>5.95) = 1 - Φ {(5.95-6.16)/√0.01} M1 For standardising must have √ = Φ (2.1) M1 For correct area i.e. > 0.5 = 0.982 A1 (4) (ii) Av ~ N(6.16, 0.01/20) B1ft For dividing their variance by 20 P(Av > 6.2) = 1 - Φ {(6.2 - 6.16) N(0.01/20) E1 + Φ or oursect answer = 1 - Φ (1.789) = 1 - Φ (1.789) = 1 - Φ (1.789) = 1 - 0.9633 = 0.0367 or 0.0368 A1 (3) or Tot~ N(123.2, 0.2) P(Tot-124) = 1 - Φ (1(23.2-124) M1 /N0.2] etc. M1 Correct mean of 2 or 1.25 used in Poisson expression West P(≥1) = 1 - $e^{-1.26}$ M1 One Poisson expression P(≥1)=1 - P(0) or 1 - P(0) - P(1) any mean. P(Both) = 0.8647 × 0.7135 M1 For attempt at summing their means and for 1 - their P(0, 1) or 1 - their P(0, 1) or 1 - their P(0, 1, 2) or 1 - P(0E, 0W) - P(1E, 0W) - P(0E, 1W) or equiv. expression Incl.2 e 0.835 A1 (2) For correct mean and variance (ii) T ~ N(156, 156) B1 For correct mean and variance P(>175) = 1 - Φ (175.5-156) M1 For standardising, with or without cc or sq rt	1 49				2005 871		7
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$\sqrt{N(0.01/20)}$ values) $= 1 - \Phi (1.789)$ $= 1 - 0.9633$ $= 0.0367 \text{ or } 0.0368$ A1 (3) $\mathbf{or } Tot \sim N(123.2, 0.2)$ $P(Tot > 124) = 1 - \Phi (123.2-124)$ $(\sqrt{0.2})$ etc.B1ft 6 (i) (a) East $P(\geq 1) = 1 - e^{-2} = 0.8647$ B1Correct mean of 2 or 1.25 used in Poisson expression $West P(\geq 1) = 1 - e^{-1.25}$ $= 0.7135$ M1One Poisson expression $P(\geq 1) = 1 - P^{-1.25}$ $= 0.617$ M1One Poisson expression $P(\geq 1) = 1 - P^{-1.25}$ $= 0.617$ M1For multiplying their 2 probs together $= 0.617$ For correct answer(b) $P(total \geq 2) = 1 - e^{-13/4}(1+13/4)$ $= 0.835$ M1For attempt at summing their means and for 1 - their $P(0, 1)$ or 1 - their $P(0, 1.2)$ or 1 - $P(0E, OW) - P(1E, OW) - P(0E, 1W)$ or equiv. expression incl.2 For correct answeror $P(total \geq 2) = P(2) + P(3) +P(13)$ etc.M1(ii) $T \sim N(156, 156)$ $(\sqrt{156})$ $= 1 - \Phi (1.75.5-156)$ $(\sqrt{156})$ $= 1 - 0.9407$ B1For standardising, with or without cc or sq rt		(ii) Av ~ N(6.16, 0.01/20)	B1f	B1ft For dividing their variance by		ance by 20	
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or Tot~ N(123.2, 0.2) P(Tot>124) = 1- Φ {(123.2-124) / $\sqrt{0.2}$ etc. B1ft 6 (i) (a) East P(≥ 1) = 1 - e ⁻² = 0.8647 B1 Correct mean of 2 or 1.25 used in Poisson expression West P(≥ 1) = 1 - e ^{-1.25} = 0.7135 M1 P(Both) = 0.8647 × 0.7135 M1 For multiplying their 2 probs together = 0.617 M1 (b) P(total ≥ 2) = 1 - e ^{-13/4} (1+13/4) M1 = 0.835 M1 or P(total ≥ 2) = P(2) + P(3) +P(13) etc. M1 (ii) T ~ N(156, 156) P(>1.75) = 1- Φ {(175.5-156) / $\sqrt{156}$ = 1 - 0.9407 M1		= 1 - 0.9633					
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6 (i) (a) East $P(\ge 1) = 1 - e^{-2} = 0.8647$ B1 Correct mean of 2 or 1.25 used in Poisson expression West $P(\ge 1) = 1 - e^{-1.25}$ 0.7135 M1 One Poisson expression $P(\ge 1)=1 - P(0)$ or $1 - P(0) - P(1)$ any mean. P(Both) = 0.8647 × 0.7135 M1 For multiplying their 2 probs together = 0.617 A1 (4) (b) $P(total \ge 2) = 1 - e^{-13/4}(1+13/4)$ M1 For attempt at summing their means and for 1 - their P(0, 1) or 1 - their P(0, 1, 2) or 1 - P(0E,0W) - P(0E,1W) or equiv. expression incl.2 = 0.835 A1 (2) or $P(total \ge 2) = P(2) + P(3) +P(13)$ etc. M1 (ii) $T \sim N(156, 156)$ M1 $P(>175) = 1 - \Phi\{(175.5-156)$ M1 $P(>175) = 1 - \Phi\{(1.5612)$ M1 $= 1 - \Phi(1.5612)$ M1 $= 1 - 0.9407$ M1		$P(Tot>124) = 1-\Phi\{(123.2-124)\}$		t			
Image: Notice (1, 1) = 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(both) = 0.8647 × 0.7135 Image: P(Both) = 0.8647 × 0.7135 Image: P(both) = 0.8647 × 0.7135 Image: P(D(D(D(D(D(D(D(D(D(D(D(D(D(D(D(D(D(D(D	6	(i) (a) East $P(\ge 1) = 1 - e^{-2} = 0.8647$				1.25 used in	
$\begin{array}{c c} \text{(b)} & P(\text{total} \geq 2) = 1 - e^{-13/4}(1+13/4) \\ & = 0.835 \\ \text{or } P(\text{total} \geq 2) = P(2) + P(3) + \dots P(13) \text{ etc.} \\ \text{(ii)} & T \sim N(156, 156) \\ P(>175) = 1 - \Phi \left\{ (175.5-156) \\ \sqrt{156} \\ = 1 - \Phi (1.5612) \\ = 1 - 0.9407 \end{array} \right \begin{array}{c} \text{A1} & \text{(4)} \\ \text{For correct answer} \\ \text{For attempt at summing their means and for 1 - their P(0, 1) or 1 - their P(0, 1, 2) \\ \text{or } 1 - P(0E, 0W) - P(1E, 0W) - P(0E, 1W) \\ \text{or equiv. expression incl.2} \\ \text{For correct answer} \\ \text{A1} & \text{(2)} \\ \text{For correct mean and variance} \\ \text{For standardising, with or without cc or sq rt} \\ \end{array}$			M1				P(0)
(b) $P(total \ge 2) = 1 - e^{-13/4}(1+13/4)$ M1For attempt at summing their means and for 1 - their $P(0, 1)$ or 1 - their $P(0, 1, 2)$ or 1 - $P(0E, 0W) - P(1E, 0W) - P(0E, 1W)$ or equiv. expression incl.2 For correct answeror $P(total \ge 2) = P(2) + P(3) +P(13)$ etc.M1(ii) $T \sim N(156, 156)$ B1 $P(>175) = 1 - \Phi\{(175.5-156)$ $/\sqrt{156}\}$ $= 1 - \Phi(1.5612)$ $= 1 - 0.9407$ For standardising, with or without cc or sq rt		P(Both) = 0.8647 × 0.7135	M1		For multiplying their 2	2 probs togeth	er
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or P(total ≥2) = P(2) + P(3) +P(13) etc. (ii) T ~ N(156, 156) P(>175) = 1- Φ {(175.5-156) $/\sqrt{156}$ = 1 - Φ (1.5612) = 1 - 0.9407 M1 B1 For correct mean and variance M1 For standardising, with or without cc or sq rt				(2)	and for 1 - their P(0, 1 P(0,1,2) or 1 - P(0E,0W) - P(1) or equiv. expression in	1) or 1 - their E,0W) - P(0E,	
(ii) $T \sim N(156, 156)$ $P(>175) = 1 - \Phi \{(175.5-156) \\ /\sqrt{156} \} = 1 - \Phi (1.5612) \\ = 1 - 0.9407$ B1 For correct mean and variance M1 For standardising, with or without cc or sq rt	or			(-)			
$P(>175) = 1 - \Phi \{(175.5-156) \\ /\sqrt{156} \} \\ = 1 - \Phi (1.5612) \\ = 1 - 0.9407$ M1 For standardising, with or without cc or sq rt					For correct mean and	lvariance	
$\sqrt{156}$ = 1 - Φ (1.5612) = 1 - 0.9407							
= 1 - 0.9407		/√156}	M1		_	in or without c	c or
= 0.0593/0.0592 A1 (3) For correct answer			A1	(3)	For correct answer		

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Page 3	Mark Scheme	Syllabus	Paper
	GCE AS/A LEVEL – JUNE 2005	8719 and 9709	7

24/ 40)2	M1	For equating to 1 and attempting to
7 (i) $\int_{0}^{24} \frac{(x-18)^2}{k} = 1$	141 1	integrate
$\begin{bmatrix} 0 & \mathbf{k} \\ \mathbf{k} & 10 \end{bmatrix}^{3} 124$		
$\left[\frac{(x-18)^3}{3k}\right]_0^{24} = 1$	A1	For correct integration with correct limits seen
0		
$\frac{2016}{k} = 1 \Longrightarrow k = 2016 \text{ AG}$	A1 (3)	For given answer legit obtained
A A A A A A A A A A A A A A A A A A A		
(ii) $p(x < 2) = \int_0^2 \frac{(x-18)^2}{2016} dx$	M1	For integration attempt between 0 and
		For integration attempt between 0 and 2 (condone missing <i>k</i>)
$=\left[\frac{(x-18)^3}{3\times 2016}\right]_{2}^{2}$		
$=\frac{(-16)^3-(-18)^3}{6048}$		
6048 = 0.2870(31/108)	A1	For correct answer
- 0.2070(31/100)	AI	For correct answer
Number of days = $0.287 \times 365 = 104$ or	B1ft (3)	For multiplying their prob by 365
105		
(iii) mean = $\int_{0}^{24} \frac{x(x-18)^2}{k} dx$	M1	For attempting to integrate $xf(x)$
JO K		(condone missing <i>k</i>)
$=\frac{1}{k}\left[\frac{x^{4}}{4}-\frac{36x^{3}}{3}+\frac{324x^{2}}{2}\right]^{24}$	A1	For one correct integrated term with
$-\frac{-k\left\lfloor 4 - 3 + 2 \right\rfloor_{0}}{-2}$		correct limits(condone missing <i>k</i>) or For integration by parts correct first
		stage answer with limits
		seen(condone missing k)
	A1	For fully correct integrated expression with limits(condone missing <i>k</i>)
$= 5.14 \left(5 \frac{1}{7} \right)$	A1 (4)	For correct answer
(7)		